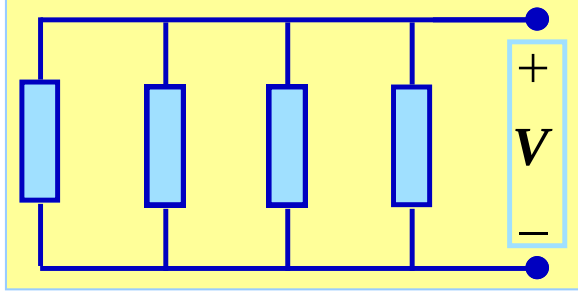
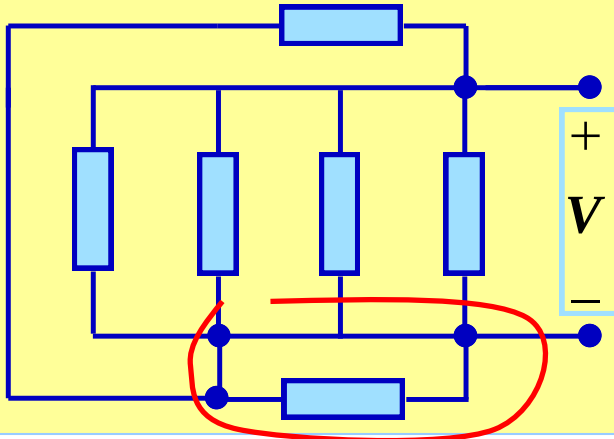


TEK DÜĞÜM ÇİFTLİ DEVRELER

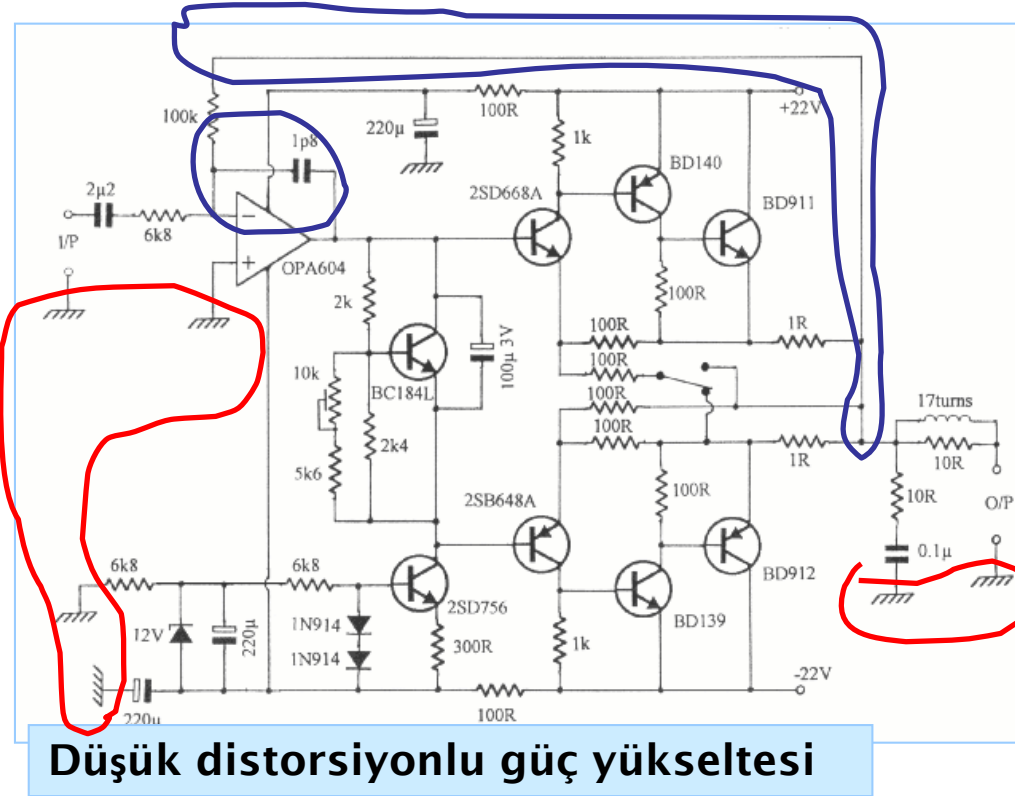
Bu devrelerin özellikleri, üzerlerinde aynı gerilime sahip olan elemanlardan oluşmasıdır.



EXAMPLE OF SINGLE NODE-PAIR



BU ELEMAN ETKİN DEĞİLDİR (KISA DEVRE)



Düşük distorsiyonlu güç yükseltesi

CRT İÇİN ALÇAK GERİLİMLİ GÜÇ KAYNAĞI - KISMİ GÖRÜNTÜ



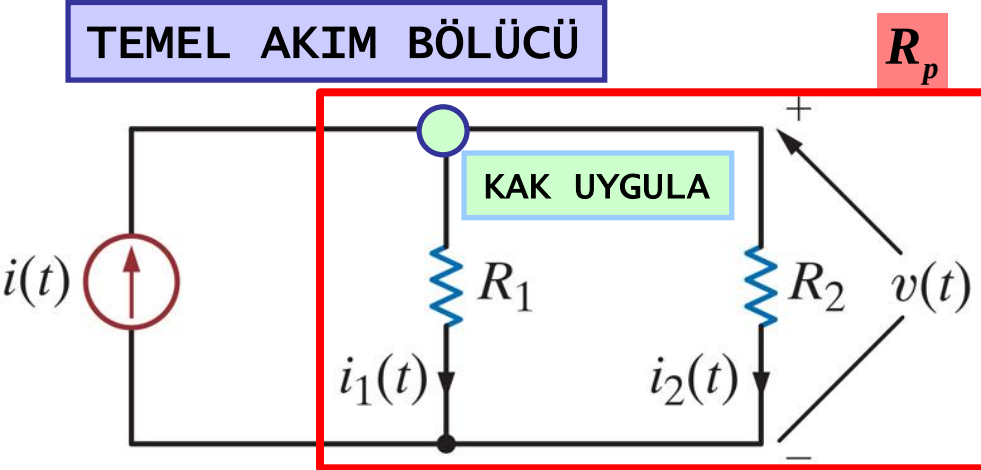
ELEMAN TARAFI



ÖRNEK FİZİKSEL DÜĞÜMLER

BAĞLANTI TARAFI

TEMEL AKIM BÖLÜCÜ



AKIM BÖLÜŞÜMÜ

$$i_1(t) = \frac{v(t)}{R_1} \quad i_2(t) = \frac{v(t)}{R_2}$$

$$i_1(t) = \frac{R_2}{R_1 + R_2} i(t) \quad = \frac{R_1}{R_1 + R_2} i(t)$$

$i(t)$ AKIMI DÜĞÜME GİRMEKTE VE BÖLÜNMEKTEDİR
AKIM $i_1(t)$ VE $i_2(t)$ ARASINDA BÖLÜNMEKTEDİR

$$i(t) = i_1(t) + i_2(t)$$

AKIMLARLA YER DEĞİŞTİRMEK
İÇİN OHM KANUNUNU KULLANIN

$$i(t) = \frac{v(t)}{R_1} + \frac{v(t)}{R_2} \\ = \left(\frac{1}{R_1} + \frac{1}{R_2} \right) v(t)$$

“PARALEL DİRENÇ KOMBİNASYONUNU” KULLANIN

$$\frac{1}{R_p} = \frac{1}{R_1} + \frac{1}{R_2}$$

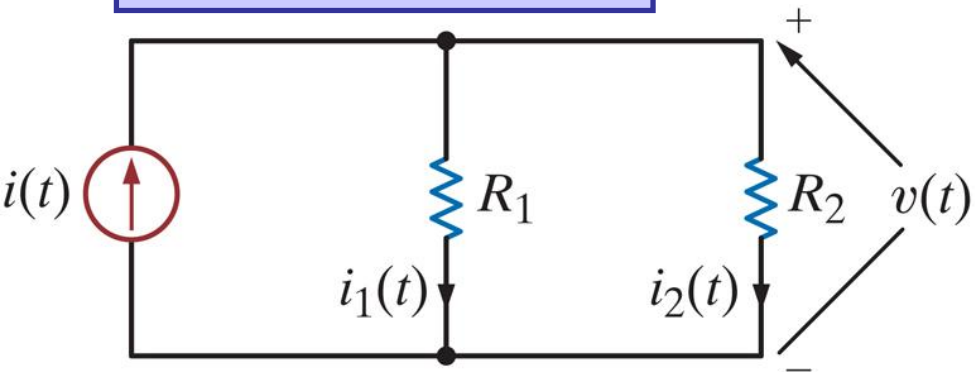
$$R_p = \frac{R_1 R_2}{R_1 + R_2}$$

$$i(t) = \frac{1}{R_p} v(t)$$

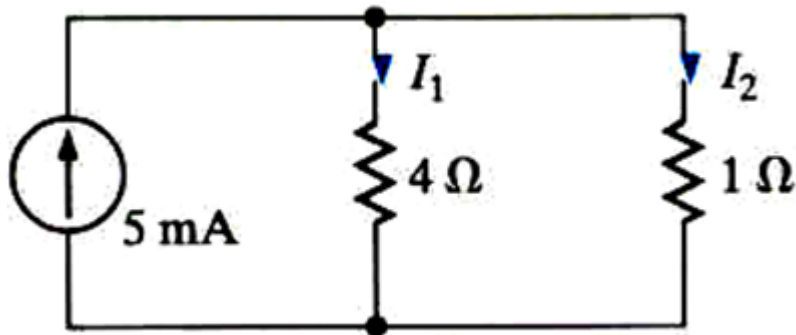
$$v(t) = \frac{R_1 R_2}{R_1 + R_2} i(t)$$

EE-201, Ö.F.BAY

TEMEL AKIM BÖLÜCÜ



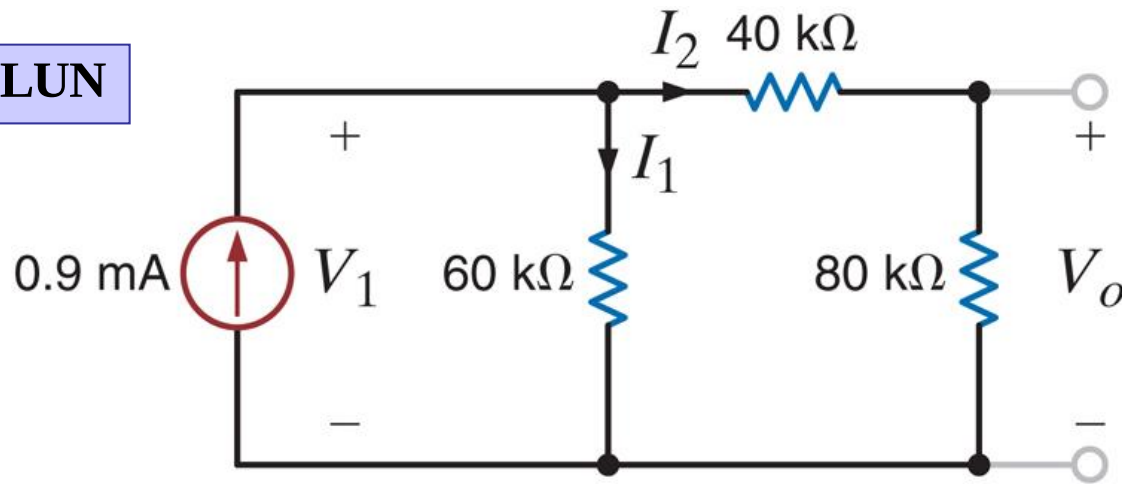
I1 ve I2 AKIMLARINI BULUN



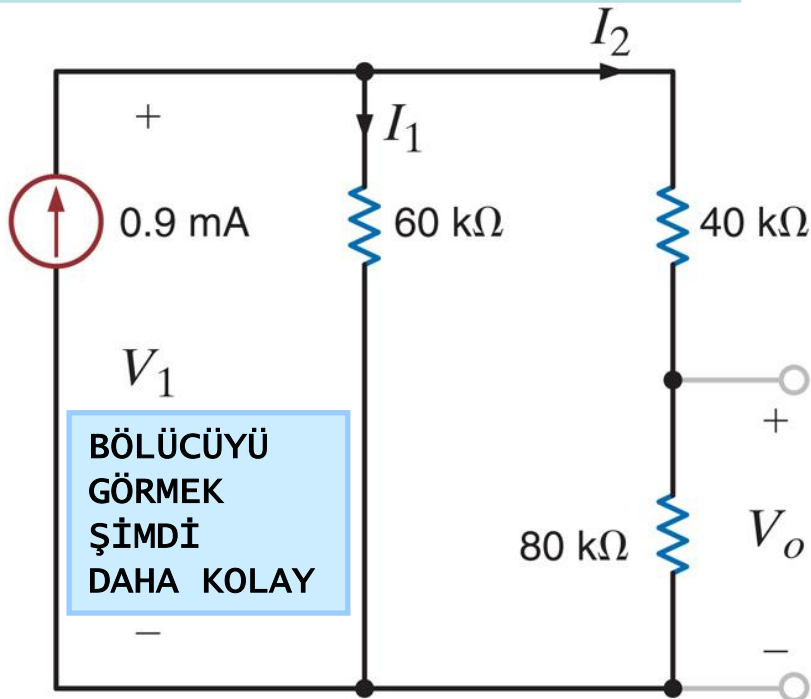
$$I_1 = \frac{1}{1+4}(5) = 1\text{mA}$$

$$I_2 = I - I_1 = \frac{4}{1+4}(5)$$

I_1, I_2, V_o BULUN



Şüphenez olduğunda ...
elektrik bağlantılarını vurgulamak
için devreyi yeniden çizin!



**BÖLÜCÜYÜ
GÖRMEK
ŞİMDİ
DAHA KOLAY**

$$I_1 = \left[\frac{40k + 80k}{60k + (40k + 80k)} \right] (0.9 \times 10^{-3})$$

$$= 0.6 \text{ mA}$$

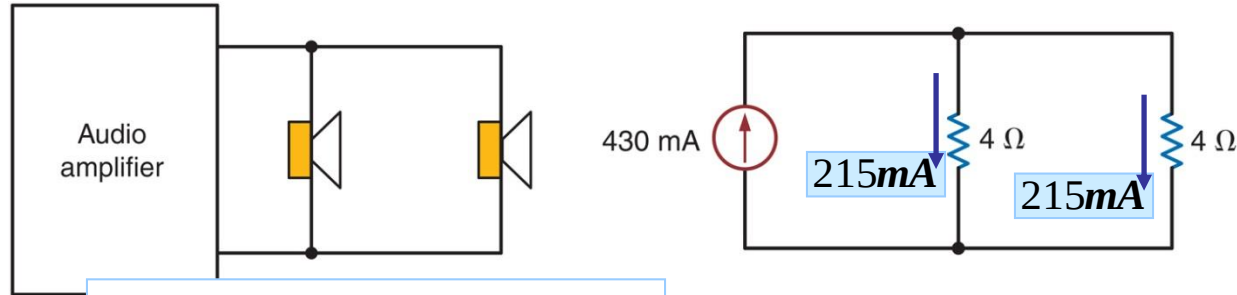
$$I_2 = \left[\frac{60k}{60k + (40k + 80k)} \right] (0.9 \times 10^{-3})$$

$$= 0.3 \text{ mA}$$

$$= 80k * I_2$$

$$24V$$

ARABA STEREO VE DEVRE MODELİ



$$\begin{aligned}
 P &= I^2 R \\
 &= (215 \times 10^{-3})^2 (4) \\
 &= 184.9 \text{ mW}
 \end{aligned}$$

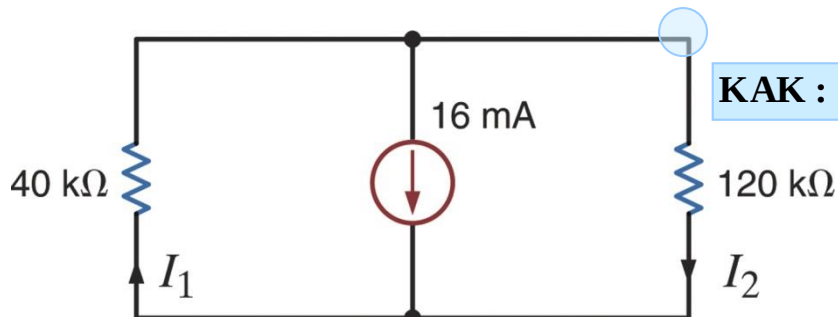
HERBİR HOPARLÖRÜN
GÜCÜ

$$P = I^2 R$$

ÖRNEK – AKIM BÖLÜCÜ

I2 HESAPLAMAK İÇİN
BİRDEN FAZLA YOL VARDIR

I1 ve I2 akımlarını ve 40 kohm direnç tarafından tüketilen gücü bulun



$$\text{KAK : } I_2 + 16 - I_1 = 0$$

AKIM BÖLÜCÜ KULLANARAK

$$I_2 = -\frac{40}{120 + 40}(16) = -4 \text{ mA}$$

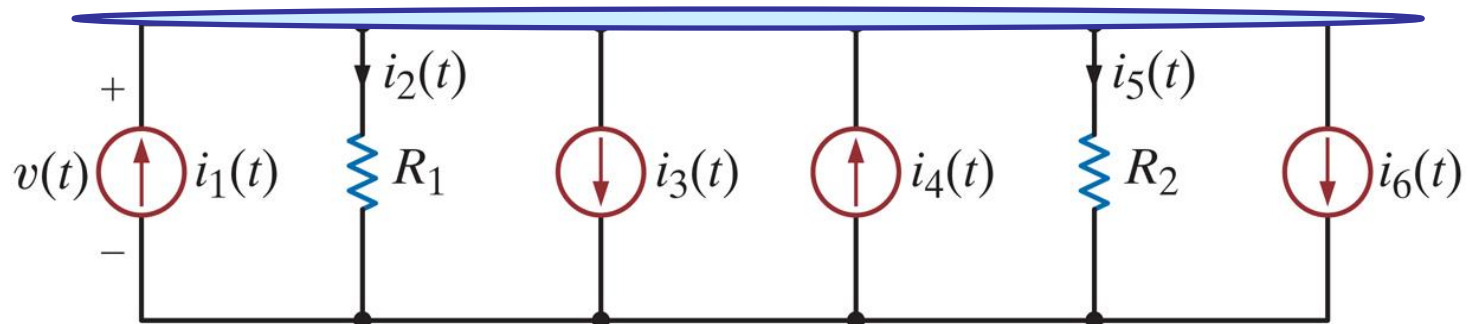
$$I_1 = \frac{120}{120 + 40}(16) \quad I_1 = 12 \text{ mA}$$

Güç : $I^2 R$

Direnç (kΩ),

Akım (mA) , Üretilen Güç (mW)

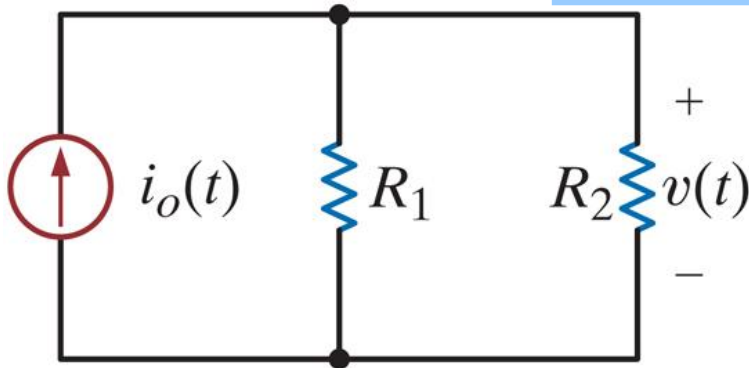
$$P = (12 \times 10^{-3})^2 \times 40 \times 10^3 = 5.76 \text{ W}$$



$$\underline{i_1(t)} - i_2(t) - \underline{i_3(t)} + \underline{i_4(t)} - i_5(t) - \underline{i_6(t)} = 0$$

ESDEGER KAYNAK

$$i_o(t) = i_1(t) - i_3(t) + i_4(t) - i_6(t)$$



“PARALEL DİRENÇ KOMBİNASYONUNU” TANIMLAYIN

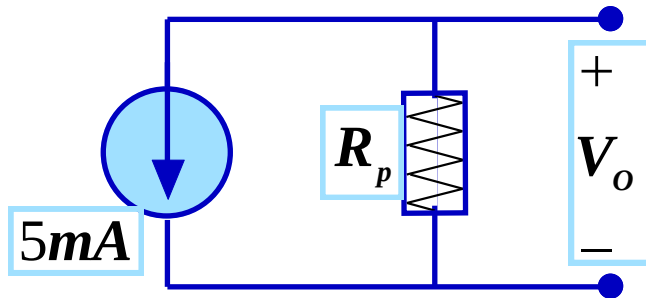
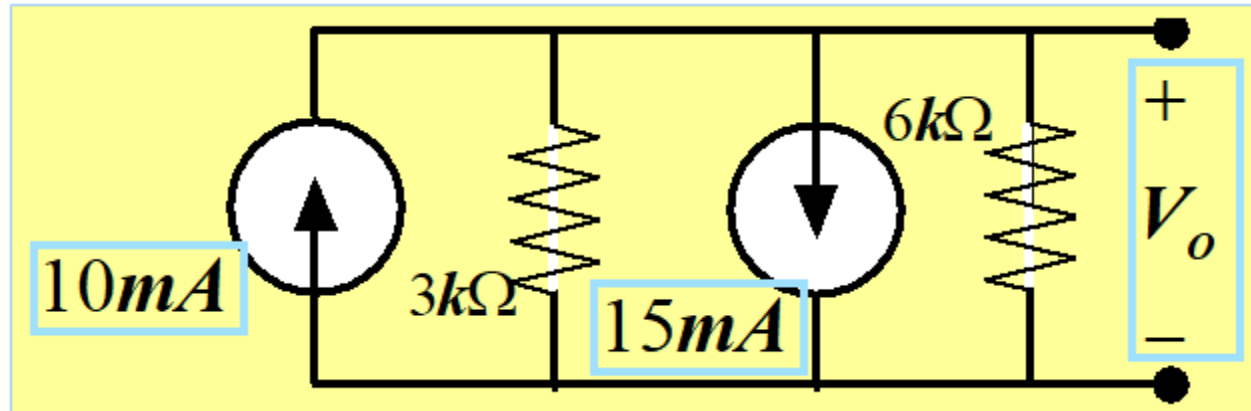
$$\frac{1}{R_p} = \frac{1}{R_1} + \frac{1}{R_2}$$

$$R_p = \frac{R_1 R_2}{R_1 + R_2}$$

$$i_o(t) = \frac{1}{R_p} v(t)$$

$$v(t) = \frac{R_1 R_2}{R_1 + R_2} i_o(t)$$

V_O VE KAYNAKLAR TARAFINDAN SAĞLANAN GÜCÜ BULUN

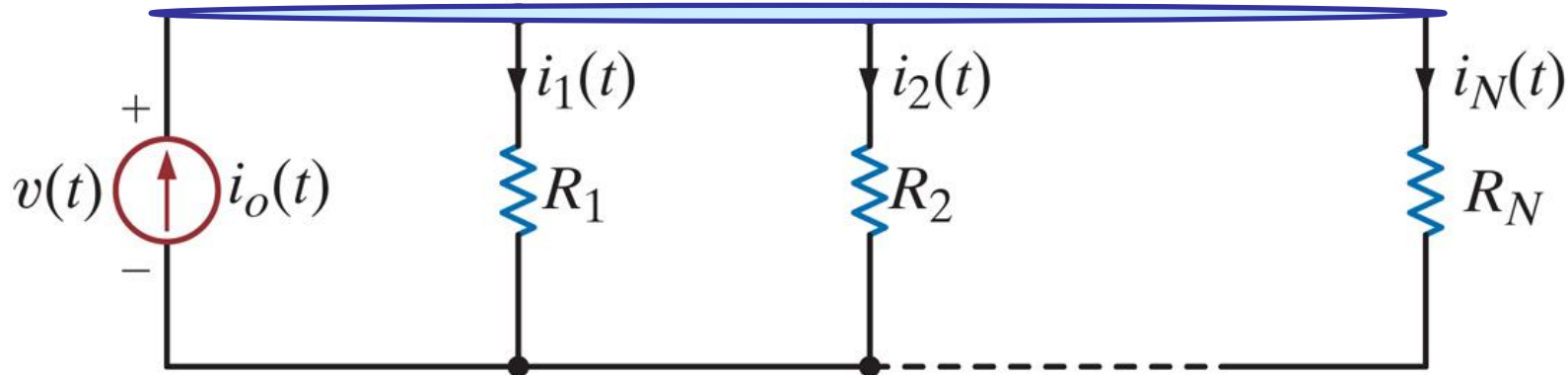


$$R_p = \frac{6k * 3k}{6k + 3k} = 2k\Omega$$

$$V_O = -10V$$

$$P_{15mA} = V_O (15mA) = -150mW$$

$$P_{10mA} = V_O (-10mA) = 100mW$$



$$i_o(t) = i_1(t) + i_2(t) + \dots + i_N(t)$$

$$= \left(\frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_N} \right) v(t)$$

Her direnç için Ohm Kanunu

$$\frac{1}{R_p} = \sum_{i=1}^N \frac{1}{R_i}$$

$$i_o(t) = \frac{v(t)}{R_p}$$

$$\left. \begin{array}{l} v(t) = R_p i_o(t) \\ i_k(t) = \frac{v(t)}{R_k} \end{array} \right\} \Rightarrow i_k(t) = \frac{R_p}{R_k} i_o(t)$$

Genel akım bölücü

PROBLEM-SOLVING STRATEGY

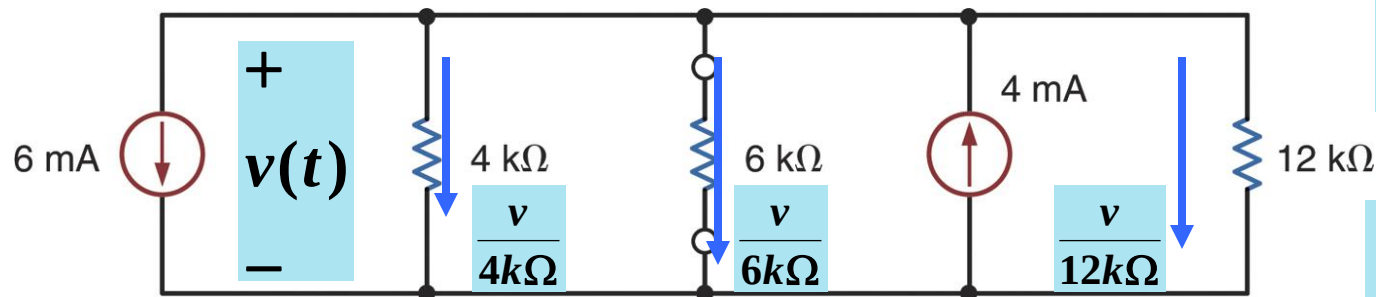
SINGLE-NODE-PAIR CIRCUITS

STEP 1. Define a voltage $v(t)$ between the two nodes in this circuit. We know from KVL that there is only one voltage for a single-node-pair circuit. A polarity is assigned to the voltage such that one of the nodes is assumed to be at a higher potential than the other node, which we will call the reference node.

STEP 2. Using Ohm's law, define a current flowing through each resistor in terms of the defined voltage.

STEP 3. Apply KCL at one of the two nodes in the circuit.

STEP 4. Solve the single KCL equation for $v(t)$. If $v(t)$ is positive, then the reference node is actually at a lower potential than the other node; if not, the reference node is actually at a higher potential than the other node.



Pasif işaret kuralına dikkat edin

$v(t)$ bilinirse diğer bütün değişkenler belirlenebilir; e.g.,

$$\text{KCL: } 6\text{mA} + \frac{v}{4\text{k}\Omega} + \frac{v}{6\text{k}\Omega} - 4\text{mA} + \frac{v}{12\text{k}\Omega} = 0 \quad \times 12\text{k}\Omega$$

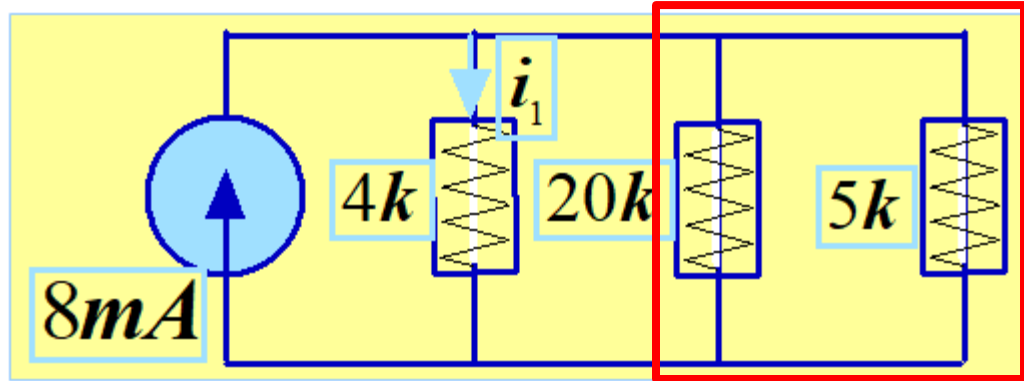
$$72\text{V} + 3v + 2v - 48\text{V} + v = 0$$

$$24\text{V} + 6v = 0$$

$$v = -4\text{V}$$

$$P_{6\text{k}\Omega} = \frac{v^2}{6\text{k}\Omega} = \frac{16\text{V}}{6\text{k}\Omega} = 2.667\text{mW}$$

i₁ VE KAYNAK TARAFINDAN SAĞLANAN GÜCÜ BULUN



Alternatif yaklaşım

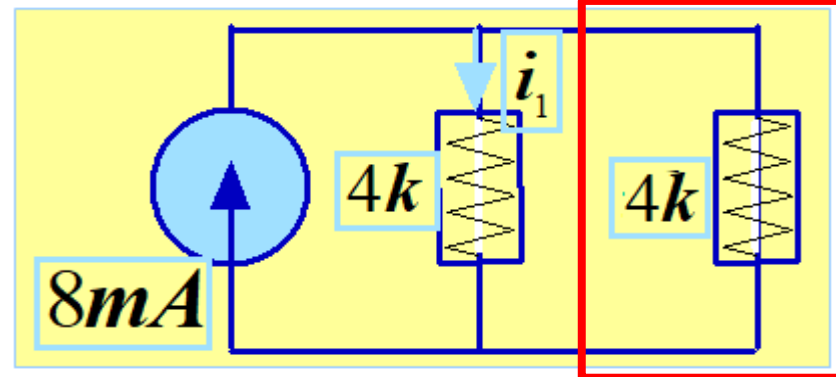
$$\frac{1}{R_p} = \frac{1}{4k} + \frac{1}{20k} + \frac{1}{5k} = \frac{5+1+4}{20k} = \frac{1}{2k} \Rightarrow R_p = 2k$$

$$i_1 = \frac{4k}{4k + 4k} (8) = 4mA$$

$$v = 4k * i_1 = 16V$$

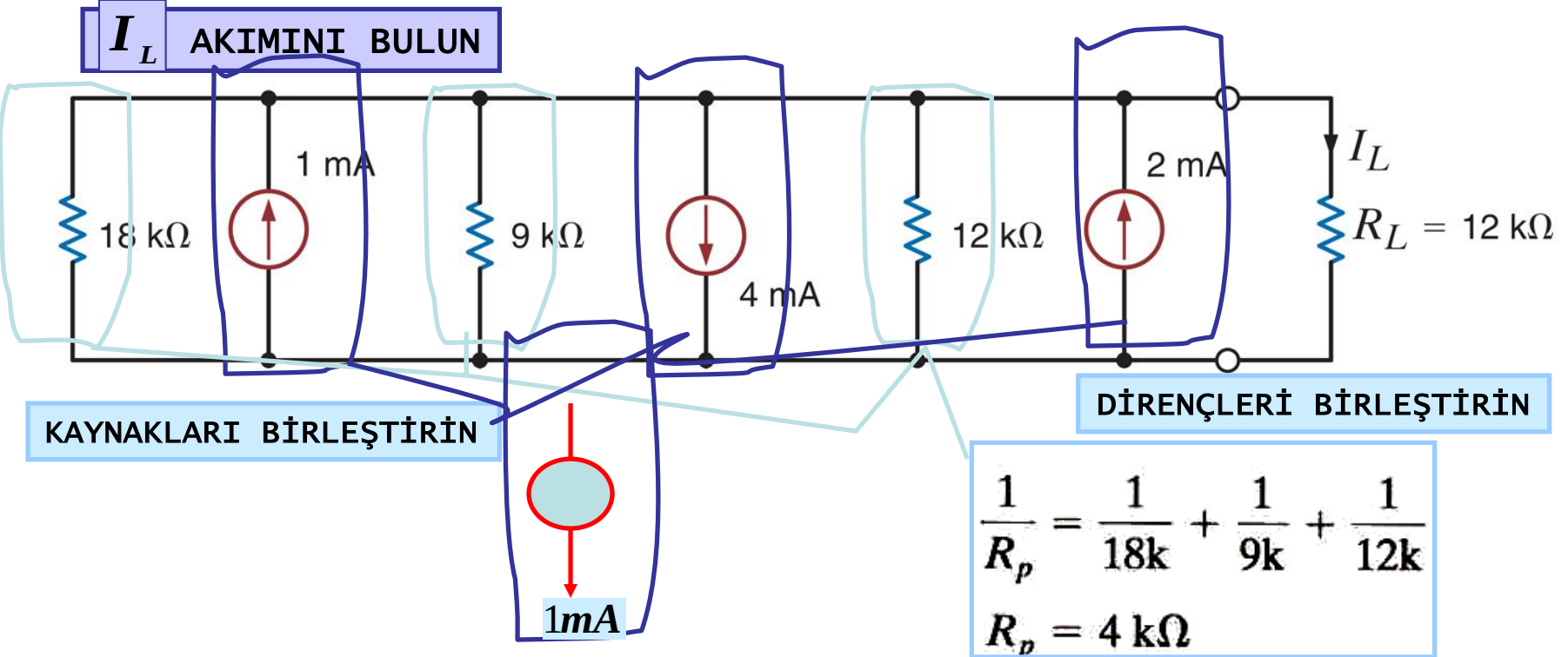
$$P = v(-8mA) = -128mW$$

$$\left. \begin{aligned} v(t) &= R_p i_o(t) \\ i_k(t) &= \frac{v(t)}{R_k} \end{aligned} \right\} \Rightarrow i_k(t) = \frac{R_p}{R_k} i_o(t)$$



Genel akım bölücü

I_L AKIMINI BULUN



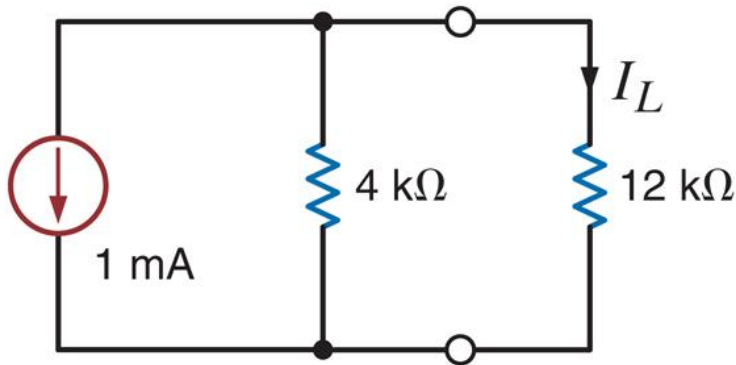
KAYNAKLARI BİRLEŞTİRİN

DİRENÇLERİ BİRLEŞTİRİN

$$\frac{1}{R_p} = \frac{1}{18k} + \frac{1}{9k} + \frac{1}{12k}$$

$$R_p = 4 \text{ k}\Omega$$

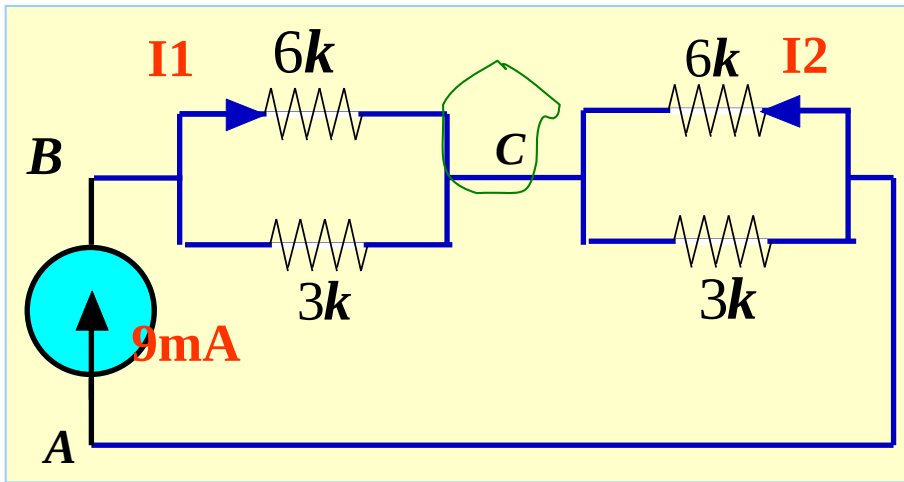
STRATEJİ: KAYNAKLARI VE DİRENÇLERİ BİRLEŞTİREREK PROBLEMİ TEMEL AKIM BÖLÜCÜ DURUMUNA GETİRİN. SONRAKİ BÖLÜMDE DAHA DETAYLI DİRENÇ BİRLEŞTİRME İŞLEMLERİ YAPILACAK.



$$I_L = -\left[\frac{4k}{4k + 12k}\right](1 \times 10^{-3})$$

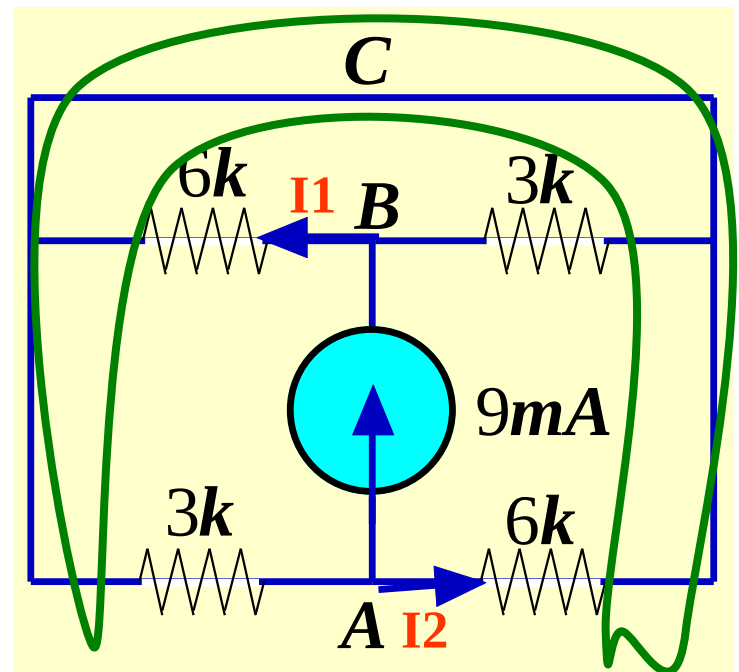
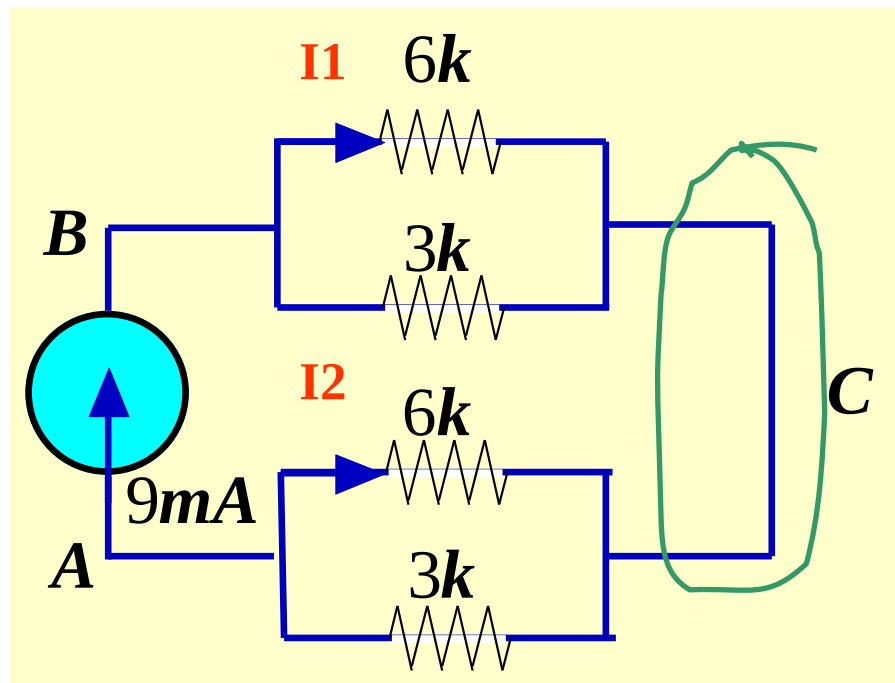
$$= -0.25 \text{ mA}$$

EKSİ İŞARETİNE DİKKAT EDİN

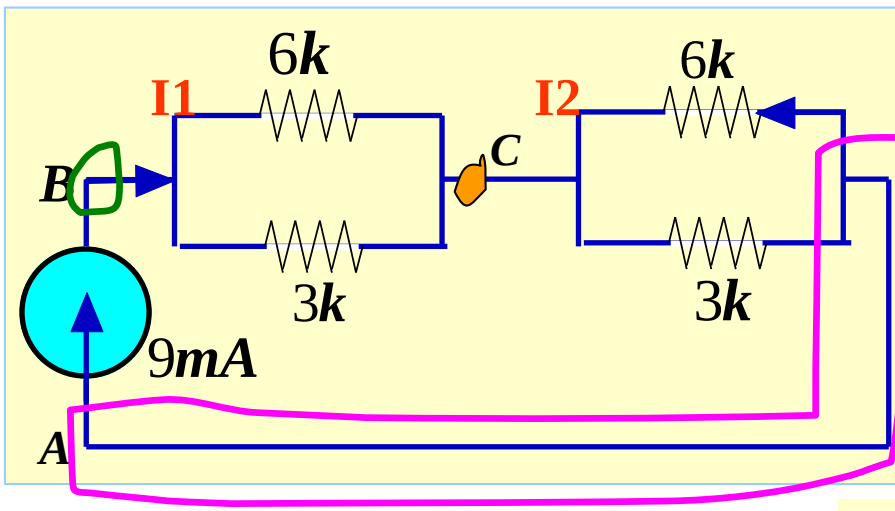


$$I_1 = \frac{3}{9} 9[mA] = 3mA$$

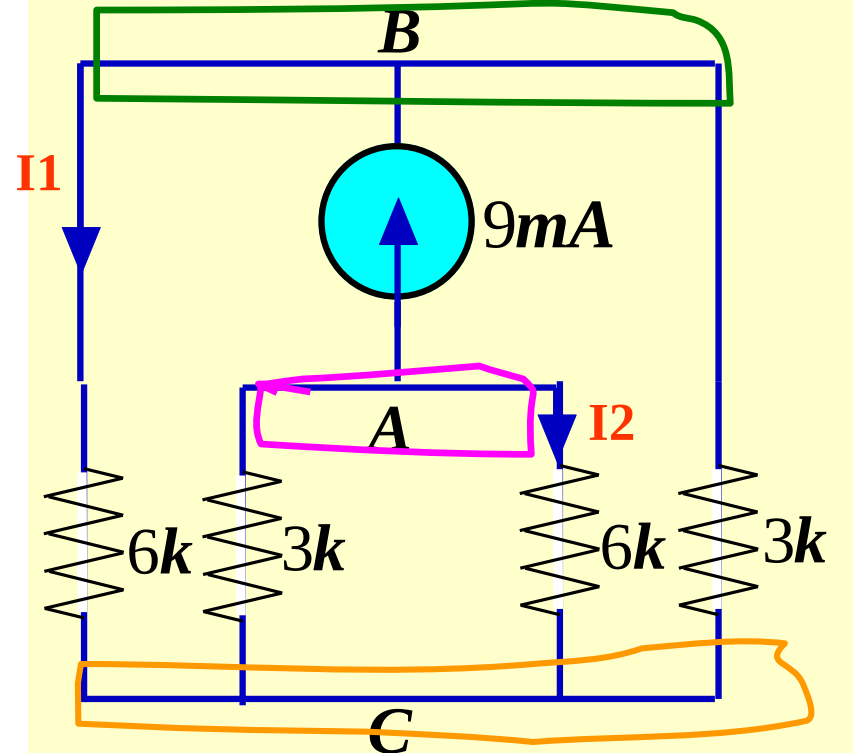
$$I_2 = -I_1$$

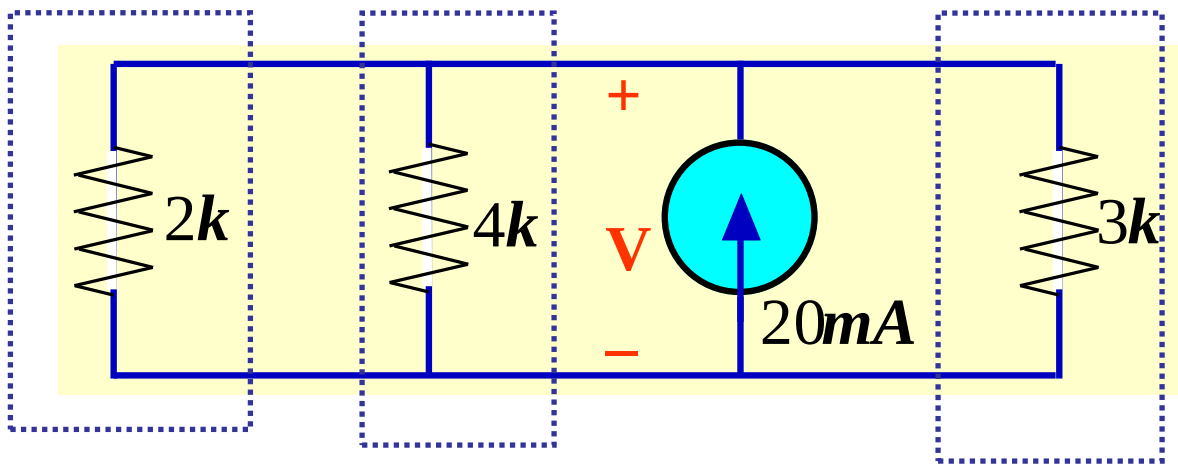


AYNI ELEKTRİK DEVRESİNE FARKLI BAKIŞ



Bir devrenin yeniden çizilmesi bazen elektrik bağlantılarını daha iyi görselleştirmeye yardımcı olabilir





Kaynak tarafından
sağlanan güçü
belirleyin

$$P = R_p * (20mA)^2$$

$$\frac{1}{R_p} = \frac{1}{2k} + \frac{1}{4k} + \frac{1}{3k} = \frac{6+3+4}{12k}$$

$$R_p = \frac{12}{13}k$$

$$P = \frac{12}{13} * 10^3 \Omega * (20 * 10^{-3})^2 [A]$$

$$P = \frac{4.800}{13} W$$